## Year 6-2019

# SATS revision $\mathbf{x} \div$ 

Tuesday 22nd January 2019

## 10, ooo hour study

Total Secondary math hours $=2850$ hours Y7 to Y11

Total Primary math hours = 1330 hours Reception to Y6

## Total math hours $=4180$

## Start

Functional
5000

Elite
10,000
`Meaningful practice`
`Mastery of a subject occurs through incremental gains`

## KS2 - Where next?

Flightpaths to MEGs
GCSE
9
\&

## SATS vs predicted GCSE`s

School measures explanation sheet KS2 to KS3

| KS2 <br> Scaled <br> Score (Years $7-$ 9) | KS2 <br> Level <br> (Years <br> 10-11) | GCSE Base Grade | Base <br> Grade <br> Vocational courses | Historical GCSE Grade Equivalent |
| :---: | :---: | :---: | :---: | :---: |
| 120 | 6 | 8 | D | A* |
| 116 | 5 a | 7 | D | A |
| 112 | 5b | 7 | D |  |
| 108 | 5 c | 6 | D | B |
| 104 | 4a | 5 | M | C+ |
| 100 | 4b | 4 | P2 | C |
| 96 | 4 c | 4 | P2 |  |
| 92 | 3 a | 3 | P2 | D |
| 88 | 3b | 3 | P2 |  |
| 84 | 3 c | 3 | P2 |  |
| 80 | 2a | 2 | P1 | E |
|  | 2b | 2 | P1 |  |
|  | 2 c | 1 | P1 | F/G |
| B | B | 1 | P1 |  |

## Revision timetable

Revision timetable

| Week | Monday | Tuesday | Wednesday | Thursday | Friday | Saturday | Sunday |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 1 |  |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |  |
| 7 |  |  |  |  |  |  |  |
| 6 |  |  |  |  |  |  |  |

## The role of family

when ittle people are overwhelmed by big emations, t's our job
to share our calm,
 not to join their chaes. -I.r. bnest


Channatideve

SAT Study
Time


Management

## Can I revise on my own?

## `How do I know if I'm doing it right?



## YouTuhe



How do I become an independent learner?

## Resources



## Arithmetic vs reasoning

$$
\begin{aligned}
& \frac{3}{10}+\frac{4}{10}= \\
& 30000+4562= \\
& \frac{2}{3}+\frac{1}{4}= \\
& 378+60+0.5= \\
& 3792+836
\end{aligned}
$$

$$
6^{2}+7=\quad 6.012+0.7=
$$



## Your for meaningful practice ...

## "To develop procedural fluency, students need experience in integrating concepts and procedures and building on familiar procedures as they create their own informal strategies and procedures."

## NCTM Position Paper on Procedural Flueney

## Multiplicative Reasoning

Two types of numerical relationship:

Additive


Multiplicative


## commutative law, rule or property

## addition



$$
a+b=b+a
$$

$$
6+2=8 \text { and } 2+6=8
$$

## multiplication



## $\mathbf{a} \times \mathrm{b}=\mathrm{b} \times \mathbf{a}$ <br> or $a b=b a$

$3 \times 2=6$ and $2 \times 3=6$
in addition and multiplication, numbers may be added or multiplied together in any order

For subtraction and division
the order is most important and must not be changed as this results in different answers,

$$
\begin{aligned}
& \text { e.g. } 8-2=6 \text { but } 2-8=-6 \\
& 6 \div 3=2 \text { but } 3 \div 6=0.5
\end{aligned}
$$

distributive law, rule or property


| $6 \times 9$ | or $\quad 6 \times 9$ |
| :---: | :---: |
| $6 \times(4+5)=(6 \times 4)+(6 \times 5)$ <br> is the same as <br> $6 \times(4+5)$ | $6 \times(4 \times 9=24+30$ |
| which equals | $54=54$ |
| $(6 \times 4)+(6 \times 5)$ |  |
| which equals | other examples |
| $24+30$ | $2 \times(4+5)=(2 \times 4)+(2 \times 5)$ |
| which equals | $3 \times 12=(3 \times 10)+(3 \times 2)$ |
| 54 | $4 \times 9=(4 \times 6)+(4 \times 3)$ |

multiplying a number is the same as multiplying its addends by the number, then adding the products

## *MathsHUBS

## Counting in equal groups

Rhythmic counting in ones
Rhythmic counting in groups
(20) 运
$2,4,6,8$

Moving on to multiplication facts!
Fluency and conceptual understanding.

## Unitising

Represent this situation using some of the resources on your table:
"There are 4 apples in a bag. I buy 3 bags of apples."

Fosnott and Dolk:
In order to reason multiplicatively, children need to be able to 'unitise' (treat a group as a single entity).

There are 5 children in each team. How many children are taking part in this competition?



## Unitising in KS2 34500 is ...

34500 ones (or 0 ones?)
3450 tens (or 0 tens?)
345 hundreds (or 5 hundreds?)
34.5 thousands (or 4 thousands?)
3.45 ten thousands (or 3 ten thousands?)
0.0345 million

What about measures? 3.45 m is not unusual ...

It depends on what we have defined as the unit.

## *MathsHUBS

## Conceptual variation

H

## H

H
HT HH HH HH
510152025
$88888 \%$


## Skip counting - making connections

| Number | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { Counting } \\ & \text { in } 58 \end{aligned}$ | $\checkmark$ |  |  |  |  | 1 |  |  |  |  | 1 |  |  |  |  | 6 |  |  |  |  | 7 |  |  |  |  | $\checkmark$ |
| Counting in 108 | $\checkmark$ |  |  |  |  |  |  |  |  |  | $\checkmark$ |  |  |  |  |  |  |  |  |  | , |  |  |  |  |  |



## MathsHUBS Knowledge of multiplication facts

In KS1 there is a focus on understanding multiplication and division - based on knowledge of 2,5 and 10 times tables

How have you ensured that children are secure with these facts?

### 2.2 Structures - step 1.2



Equal
groups

### 2.2 Structures - step 2.3



There are 6 equal groups. $\checkmark$
There are 3 equal groups. $\times$

## Multiplication equations with the product <br> *MathsHUBS <br> 

There are 6 cars. There are 2 children in each car.
There are 2 children in each car. There are 6 cars.
There are 12 children altogether.

$$
6 \times 2=12 \quad 6 \text { groups of } 2 \text { equals } 12
$$

$2 \times 6=12 \quad 2,6$ times equals 12

## MISCONCEPTIONS

## *MathsHUBS

## Arrays

Arrays can limit children's understanding of multiplication to repeated addition as each 'dot' in the array often represents one.

```
3160\div8=
```




## Magic trick

# Pick a number between 1 and 100 (don`t tell me) 

X2
X5

